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Due to an author's error, the symbol definitions in Figs. A1 and A2 and a line in the legend to Fig. A2, both on page 1922, and two lines in a set of equations on page 1923 appeared incorrectly. The corrected versions appear below.

Fig. A1:

———, infinite; ·····, 100:1; - - - -, 10:1; ······, 4:1; ······, 3:1; ······, 2:1.

Fig. A2:

———, 3.16×3.16 ; ·····, 2.50×4 ; - - - -, 1.67×6 ; ······, 1.25×8 ; ······, 1.00×10 ; ······, 1 D.

Fig. A2 legend:

Recovery curves were calculated for rectangular regions with different ratios of L_x to L_y , keeping the area of the regions constant at 10 square units where the beam radius $2w = 1$ U.

Equations:

For a $2L_x$ by $2L_y$ rectangular region,

$$F(<0) = J \operatorname{erf}(L_x \sqrt{2}/w) \operatorname{erf}(L_y \sqrt{2}/w)$$

$$F(0) = -J/\kappa \sum_{n=1}^{\infty} (-\kappa)^n/n! \operatorname{erf}[L_x \sqrt{(2n)}/w] \operatorname{erf}[L_y \sqrt{(2n)}/w]$$

$$F(\infty) = F(<0) \{1 + (\pi w^2)/(8L_x L_y) \sum_{n=1}^{\infty} (-\kappa)^n/(nn!) \operatorname{erf}[L_x \sqrt{(2n)}/w] \operatorname{erf}[L_y \sqrt{(2n)}/w]\}.$$

Where $\operatorname{erf}(z)$ represents the error function of z ; $J = Q\bar{c}I_0\pi w^2/2$; and κ has been defined above.

For a circular region of radius R ,

$$F(<0) = J[1 - \exp(-2R^2/w^2)]$$

$$F(0) = -(J/\kappa) \{\exp(-\kappa) - \exp[-\kappa \exp(-2R^2/w^2)]\}$$

$$F(\infty) = F(<0) \{1 + (w^2/2R^2) \sum_{n=1}^{\infty} [(-\kappa)^n/(nn!) 1 - \exp(-2nR^2/w^2)]\}.$$